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Generalized Axiomatic Scale-Space Theory

Tony Lindeberg

School of Computer Science and Communication, KTH Royal Institute of Technology,
Stockholm, Sweden
E-mail: tony@csc.kth.se

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Smoothlet Transform: Theory and Applications

Agnieszka Lisowska

Institute of Computer Science, University of Silesia, Katowice, Poland
E-mail: alisow@ux2.math.us.edu.pl

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Theory and Computation of Electron Mirrors: The Central Particle Method

Evgeniy M. Yakushev

Institute of Nuclear Physics, Almaty, Kazakhstan

Email: evgeniy.yakushev@inbox.ru

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