



<i>Preface to the Second Edition</i>	vii
<i>Preface to the First Edition</i>	ix
<i>List of Examples</i>	xi
Chapter I. INTRODUCTION	1
1.1. Survey of basic concepts	1
1.2. Certain inequalities	6
1.3. Characteristic functions	13
1.4. Independence	19
1.5. Monotone classes of sets (events)	23
Exercises	25
Chapter II. STOCHASTIC CONVERGENCE CONCEPTS AND THEIR PROPERTIES	27
2.1. Definitions	27
2.2. Relations among the various convergence concepts	33
2.3. Convergence of sequences of mean values and of certain functions of random variables	40
2.4. Criteria for stochastic convergence	44
2.5. Further modes of stochastic convergence	50
2.6. Information convergence	54
Exercises	57
Chapter III. SPACES OF RANDOM VARIABLES	60
3.1. Convergence in probability	61
3.2. Almost certain convergence	68
3.3. The spaces $L_p$	68
3.4. The space of distribution functions	70
Exercises	74
Chapter IV. INFINITE SERIES OF RANDOM VARIABLES AND RELATED TOPICS	76
4.1. The lemmas of Borel-Cantelli and the zero-one laws	76
4.2. Convergence of series	80
4.3. Some limit theorems	94
Exercises	110

Chapter V. RANDOM POWER SERIES	112
5.1. Definition and convergence of random power series	112
5.2. The radius of convergence of a random power series	117
5.3. Random power series with identically distributed coefficients	122
5.4. Random power series with independent coefficients	127
5.5. The analytic continuation of random power series	130
5.6. Random entire functions	135
Exercises	141
Chapter VI. STOCHASTIC INTEGRALS AND DERIVATIVES	143
6.1. Some definitions concerning stochastic processes	143
6.2. Definition and existence of stochastic integrals	145
6.3. $L_2$ -continuity and differentiation of stochastic processes	152
Exercises	154
Chapter VII. CHARACTERIZATION OF THE NORMAL DISTRIBUTION BY PROPERTIES OF INFINITE SUMS OF RANDOM VARIABLES	157
7.1. Identically distributed linear forms	157
7.2. A linear form and a monomial having the same distribution	161
7.3. Independently distributed infinite sums	168
Exercises	170
Chapter VIII. CHARACTERIZATION OF SOME STOCHASTIC PROCESSES	172
8.1. Independence and a regression property of two stochastic integrals	172
8.2. Identically distributed stochastic integrals	175
8.3. Identity of the distribution of a stochastic integral and the increment of a process	178
8.4. Characterization of stable processes	182
Exercises	189
<i>References</i>	191
<i>Index</i>	195

