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Quantization of general relativity

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Vibration analysis by holography

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Group theory and topology in solid state physics

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The nuclear surface

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The three-body problem in nuclear physics

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Statistical theory of transport processes in a classical dense fluid

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