

Quantum Statistics in Optics and Solid-State Physics

Contents

Statistical Theory of Instabilities in
Stationary Nonequilibrium Systems with
Applications to Lasers and Nonlinear
Optics

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Statistical Treatment of Open Systems by
Generalized Master Equations

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