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# THE SPECTROSCOPY OF $\text{H}_3^+$

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# SUPERCOOLED LIQUIDS

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# TERNARY SYSTEMS CONTAINING SURFACTANTS

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# COLORED NOISE IN DYNAMICAL SYSTEMS

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# FORMULATION OF OSCILLATORY REACTION MECHANISMS BY DEDUCTION FROM EXPERIMENTS

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