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COLLISION-INDUCED SCATTERING OF LIGHT AND THE DIATOM POLARIZABILITIES

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This work was made possible through the support of the Robert A. Welch Foundation and the Joint Services, Electronics Program.

THE ONSET OF CHAOTIC MOTION IN DYNAMICAL SYSTEMS

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THERMODYNAMIC ASPECTS OF THE QUANTUM-MECHANICAL MEASURING PROCESS

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PASSAGE FROM AN INITIAL UNSTABLE STATE TO A FINAL STABLE STATE

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THEORY OF THE LIQUID–VAPOR INTERFACE

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STATISTICAL THERMODYNAMICS OF PROTEINS AND PROTEIN DENATURATION

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