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THEORIES OF CHEMICALLY INDUCED ELECTRON SPIN POLARIZATION

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KINETIC THEORY AND RHEOLOGY OF MACROMOLECULAR SOLUTIONS

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KINETIC THEORY OF GRAVITATIONAL SYSTEMS

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MAGNETIC CIRCULAR DICHROISM

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TIME-DEPENDENT PERTURBATION OF A TWO-STATE QUANTUM SYSTEM BY A SINUSOIDAL FIELD*

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*Supported by the National Aeronautics and Space Administration Grant NGL-50-002-001 and the National Science Foundation Grant GP-28213.

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