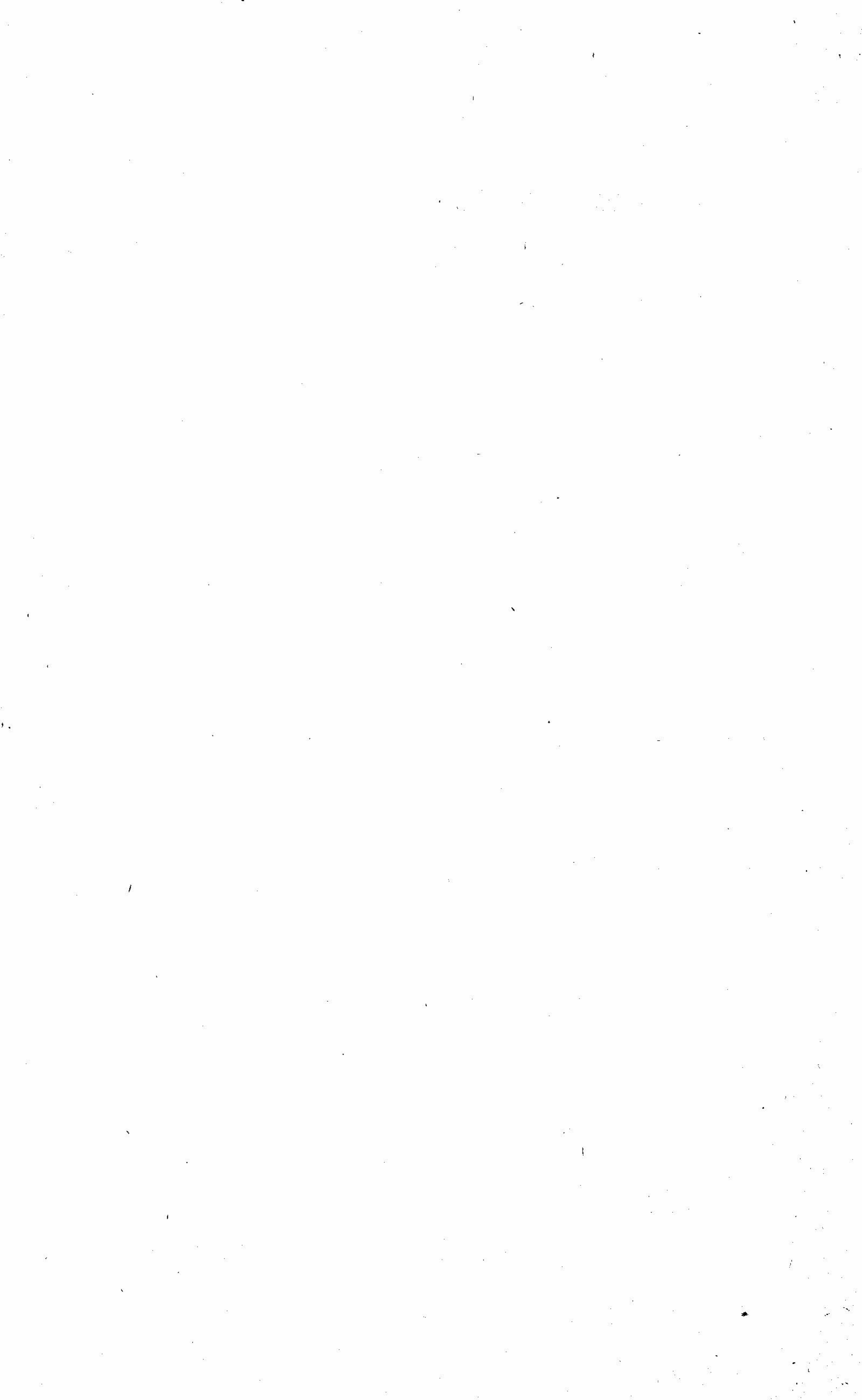


# CONTENTS

DEPOLARIZED LIGHT SCATTERING BY SIMPLE FLUIDS <i>By William M. Gelbart</i>	1
EQUILIBRIUM IN STELLAR SYSTEMS <i>By R. H. Miller</i>	107
ENZYME CASCADES AND THEIR CONTROL IN BLOOD PLASMA <i>By Elliott W. Montroll</i>	145
BÉNARD CONVECTION <i>By E. L. Koschmieder</i>	177
AN OVERVIEW OF COMPUTATIONAL METHODS FOR LARGE MOLECULES <i>By Juergen Hinze</i>	213
THE TWO-COMPONENT BÉNARD PROBLEM <i>By R. S. Schechter, M. G. Velarde, and J. K. Platten</i>	265
AUTHOR INDEX	303
SUBJECT INDEX	313



# DEPOLARIZED LIGHT SCATTERING BY SIMPLE FLUIDS

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## CONTENTS

I. Preface	2
II. Historical Background and Statement of Problem . . . . .	2
III. Review of Present Theories . . . . .	6
IV. General Quantum Mechanical Description of Light Scattering by Many-Atom Systems . . . . .	9
A. Polarized Spectrum . . . . .	11
B. Depolarized Scattering . . . . .	16
1. Binary Collision Dynamics . . . . .	17
2. Three-Body Dynamics . . . . .	19
3. Higher-Order Effects . . . . .	21
4. General Discussion of Liquid Case . . . . .	22
V. Classical (Effective Field) Description of Light Scattering by Many-Atom Systems . . . . .	24
A. First-Order (Polarized) Inelastic Scattering . . . . .	27
B. Second-Order (Depolarized) Inelastic Scattering . . . . .	28
C. Static Limit: Equivalence to Local Field Analyses . . . . .	30
D. Relationship to Collision-Induced Pair Scattering . . . . .	34
VI. Analysis of Data: Appraisal and Discussion . . . . .	36
A. Isolated Binary Collision Model (Gases) . . . . .	36
B. Two-Slope Line Shape . . . . .	39
C. Isolated Binary Collision Model (Liquids) . . . . .	40
D. Virial (Density) Expansions . . . . .	43
E. Second-Order Raman Theory . . . . .	49
F. Lattice Occupancy Models . . . . .	50
G. Molecular Dynamics "Experiments" . . . . .	51
VII. Related Optical Processes . . . . .	55
A. Anisotropic Molecular Fluids and Depolarized Scattering . . . . .	55
B. Dielectric and Kerr Functions . . . . .	61
C. Collision-Induced versus Double Scattering in the Gas-Liquid Critical Region . . . . .	78
D. Summary and Conclusions . . . . .	92
Appendix A . . . . .	94
Appendix B . . . . .	95
Appendix C . . . . .	97
Appendix D . . . . .	98
References . . . . .	101



# EQUILIBRIUM IN STELLAR SYSTEMS

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## CONTENTS

I. Introduction . . . . .	108
A. Stellar Dynamical Preliminaries . . . . .	109
B. Some of the Difficulties . . . . .	111
C. Equilibria . . . . .	113
D. Statistical Mechanics . . . . .	114
II. Numerical Experiments on Equilibrium . . . . .	115
A. The $n$ -Body Calculation . . . . .	117
1. The isothermal enclosure . . . . .	118
2. Specularly reflecting enclosure . . . . .	118
3. Division into subclusters . . . . .	119
B. Runs with a Cold Box . . . . .	119
C. The Box at Other Temperatures . . . . .	120
D. Specular Reflector . . . . .	121
E. Subclusters . . . . .	122
F. Discussion of the Experimental Results . . . . .	123
III. Pair Correlations . . . . .	124
IV. The $H$ -Theorem . . . . .	126
A. The Inequalities . . . . .	127
B. Consequences of Increasing $H_B$ . . . . .	128
C. Equilibrium of Stellar Systems . . . . .	130
D. Rate of Increase of $H_B$ . . . . .	133
E. Summary . . . . .	133
V. The Microcanonical Ensemble . . . . .	134
A. Meaning for the $n$ -Body Problem . . . . .	137
B. "Thermodynamics" . . . . .	139
C. Equilibrium of Star Clusters . . . . .	140
D. The $H$ -Theorem . . . . .	141
VI. Concluding Remarks . . . . .	142
References . . . . .	143



# AN OVERVIEW OF COMPUTATIONAL METHODS FOR LARGE MOLECULES

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## CONTENTS

I. Introduction	213
II. CI and SCF Formalism	217
A. Closed Shell Hartree Fock	224
B. Single Determinant Open Shell Hartree Fock	226
C. Symmetry Considerations	229
D. General Open Shell SCF Equations Including Symmetry	232
E. Solving the SCF Equations	234
F. Determination of the Initial Density Matrix	237
G. Bibliography to the CI and SCF Methods	239
III. Pseudopotentials; Frozen Core and Frozen Group Approximation, Model Potentials	240
IV. Basis Sets	243
A. Type of Function	244
B. Basis Function Characteristics	246
V. Discussion of Approximate Molecular Wave Functions	247
VI. Limitation of ab initio Methods	252
VII. Semiempirical Methods	255
Acknowledgment	259
References	259





# THE TWO-COMPONENT BÉNARD PROBLEM

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## CONTENTS

I.	Concentration Gradients and Hydrodynamic Stability . . . . .	266
II.	Formulation of the Problem . . . . .	268
	A. The Conservation Equations . . . . .	268
	B. The Thermohaline Problem . . . . .	269
	C. Thermal Diffusion . . . . .	272
	D. Chemical Reactions . . . . .	272
III.	Thermohaline Convection: Linear Analysis . . . . .	272
	A. "Similar" Boundary Conditions . . . . .	272
	B. Free Boundaries with Specified Solute Concentrations and Temperatures	275
	C. General Boundary Conditions . . . . .	279
	D. Experimental Observations . . . . .	279
IV.	Convective Motion and Thermal Diffusion: Linear Theory . . . . .	282
	A. The Temperature Coupled Mass Balance . . . . .	282
	B. Free Boundaries . . . . .	284
	C. Impermeable Conducting Boundaries . . . . .	285
	D. An Approximation . . . . .	289
	E. Experimental Results . . . . .	289
V.	Chemical Instabilities . . . . .	293
VI.	Global Stability: Energy Methods . . . . .	295
VII.	Supercritical States . . . . .	296
	A. A Classification of Problems . . . . .	296
	B. Stabilizing Solute Gradients . . . . .	297
	C. Destabilizing Solute Gradients . . . . .	298
	Acknowledgment . . . . .	299
	References . . . . .	299

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